REFERENCES FOR LECTURE 14

A basic reference for quantum groups is [9], the case of $\mathfrak{sl}_2$ is treated in the first three chapters. The quantum category $\mathcal{O}$ was popularized in [8]. A basic reference for affine Kac-Moody algebras and their representations is [10], see Chapters 2,5,6,7,9 there. The rest of the references are for Section 1.1 in the lecture.

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